

AN EFFICIENT THREE STAGES 32-BIT LADNER-FISCHER ADDER

B.Raghavaiah¹ Omprakash² ¹Research Scholar, Shri JJT University, Rajasthan, India ²Shri JJT University, Rajasthan, India

Abstract

Ladner –Fischer adder is one of the parallel prefix adders. Parallel prefix adders are used to speed up the process of arithmetic operation. These adders are introduced to eliminate the carry propagation delay that rises in ripple carry adder. Ladner-Fischer adder is parallel prefix adder that performs the addition operation. It consists of three stages they are pre-processing stage, carry propagation and generation and post propagation. Pre-processing stage comprises of generate and propagate. This paper proposed the design and analysis of a 32-bit Ladner-Fischer adder

Keywords: Ladner-fischer adder, Post propagation, Carry generation, Verilog HDL, Xilinx

1. INTRODUCTION

Addition operation is the main operation in digital signal processing and control systems. The fast and accuracy of a processor or system depends on the adder performance. In general purpose processors and DSP processors the addition operation addresses are taken from simple ripple carry adder.

Ripple carry adder is used for the addition operation i.e., if N-bits addition operation is performed by the N-bit full adder. In ripple carry adder each bit full adder operation consists of sum and carry, that carry will be given to next bit full adder operation, that process is continuous till the Nth bit operation. The N-1th bit full adder operation carry will be given to the Nth bit full adder operation present in the ripple carry adder. For 16-bit ripple carry adder, the first bit carry is given to second bit full adder, similarly the operation is continue till fifteenth bit carry is given to sixteenth bit full adder. The addition operation is performed from least significant bit to most significant bit in ripple carry adder. Configuration logic and routing resources in Field Programmable Gate Array.

PARALLEL PREFIX ADDERS:

Description

In a PPA, a prefix operation is constructed that permits the computation of intermediate carries. In conjunction with generate and propagate signals, the prefix operator allows PPAs to obtain an advantageous latency of O(log2N) instead of O(N) (like in a Ripple Carry adder), where N is the word length. Figure 5 (below) illustrates a tree graph of an 8-bit Kogge-Stone PPA.

Functionality

The PPA functions properly by successfully going through three stages. The first stage is a pre-computation stage, which generates the generate and propagate signals, and is governed by the equations:

$$g_i = G_{i:i} = a_i AND$$
 $b_i \dots p_i = P_{i:i} = a_i XOR b_i \dots (1)$

where a_i and b_i are inputs bits. Additionally,

 $g_0 = G_{0:0} = C_{in} - p_0 = P_{0:0} = 0 - - - (2)$

The prefix operation serves as the middle stages in this high performance adder topology. A dot operator denotes the prefix operation:

 $(G_{j:mv} P_{j:mv}) = (G_{j:k} P_{j:k}) \bullet (G_{l:mv} P_{l:m}) \dots (3)$ $G_{j:m} = G_{j:k} OR (P_{j:k} AND G_{l:m}) \dots P_{j:m} = P_{j:k} AND P_{l:m} \dots (4)$

where $j \le (k, l) \le m$. The dot operator is associative and idempotent, but not commutative.

The Carry logic is also utilized in the middle stages. By utilizing equations (3) and (4), the prefix tree can determine the carry:

$$c_i = G_{i:0} - --(5)$$

The last stage in this high performance PPA is the sum computation. The sum is governed by the following equation:

$s_i = c_i XOR p_i ---(6)$

2 Ladner-Fischer Adder:

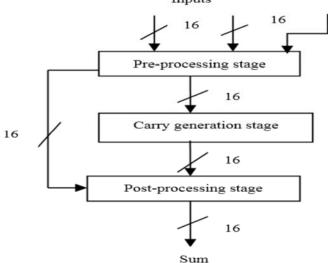
The Ladner-Fischer is the parallel prefix adder used to perform the addition operation. It is looking like tree structure to perform the arithmetic operation [4]. Ladner-Fischer adder is used for high performance addition operation. The Ladner-Fischer adder consists of black cells and gray cells [3]. Each black cell consists of two AND gates and one OR gate [2]. Multiplexer is combinational circuit which consists of multiple inputs and a single output. Each gray cell consists of only one AND gate. Pi denotes propagate and it consists of only one AND gate [5] given in equation 1. Gi denotes generate and it consists of one AND gate and OR gate [6] given in equation 2.

 $P_i = B_i AND B_{i-1}$

 $G_i = A_i OR [B_i AND A_{i-1}]$

Where

Gi denotes generate and Pi denotes propagate Inputs



3 **PROPOSED LADNER-FISCHER ADDER** The proposed Ladner-Fischer adder is flexible to speed up the binary addition and the structure looks like tree structure for the high performance of arithmetic operations.

In ripple carry adders each bit wait for the last bit operation. In parallel prefix adders instead of waiting for the carry propagation of the first addition, the idea here is to overlap the carry propagation of the first addition with the computation in the second addition, and so forth, since repetitive additions will be performed by a multioperand adder.

Research on binary operation elements and motivation gives development of devices. Field programmable gate arrays [FPGA's] are most popular in recent years because they improve the speed of microprocessor based applications like mobile DSP and telecommunication. The construction of efficient Ladner-Fischer adder consists of three stages. They are pre-processing stage, carry generation stage, post-processing stage.

 \mathbf{C}_{in}

Fig 3: Block diagram proposal three stages Ladner-Fischer adder

3.1 Pre-Processing Stage:

In this stage generate and propagate are done for each stage of inputs. Propagate is done through XOR operation and generate is done through AND operation.

 $P_i = A_i XOR B_i$

 $G_i = A_i AND B_i$

3.2 Carry Generation :

In this stage, carry is generated for each bit and this is called as carry generate (Cg). The carry propagate and carry generate is generated for the further operation but final cell present in the each bit operation gives carry. The last bit carry will help to produce sum of the next bit simultaneously till the last bit. The carry generate and carry propagate are given in below equations below.

 $C_p = P_i AND P_{i-1}$

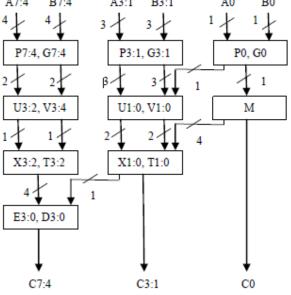
 $C_g = G_i OR (P_i AND G_{i-1})$

The above carry propagate Cp and carry generation Cg in equations above is black cell and the below shown carry generation in equation is gray cell. The carry propagate is generated for the further operation but final cell present in the each bit operation gives carry. The last bit carry will help to produce sum of the next bit simultaneously till the last bit. This carry is used for the next bit sum operation, the carry generate is given in below equations.

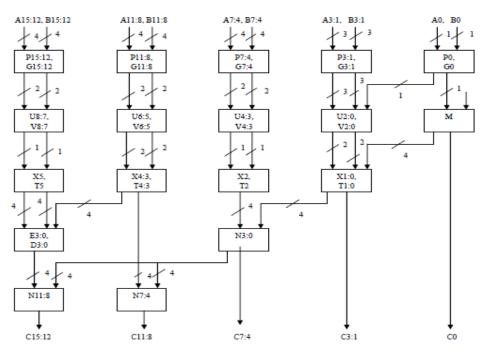
3.3 Post processing stage:

The first input bits goes under pre-processing stage and it will produce propagate and generate.

The below figure represents 8-bit ladner fischer adder A7:4 B7:4 B3:1 A3:1 **B**0 A0



The below figure represents 16bit Ladner-Fischer adder



Research on binary addition motivates gives development of devices. Many parallel prefix networks describe the literature of addition operation. The parallel prefix adders are Brentkung, Kogge-stone, ladner-Fischer, Sklansky, etc,. The fast and accurate performance of an adder is used in the very large scale integrated circuits design and digital signal processors.

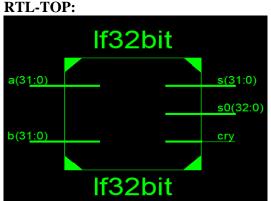
4 SIMULATION RESULTS :

The Ladner-Fischer adder is designed on Verilog HDL (verification Logic hardware description language). Xilinx project navigator 14.7 is used for synthesis. Simulation results are shown in Fig below.

These propagates and generates undergoes carry generation stage produces carry generates and propagates, these undergoes carry postprocessing stage and gives final sum. $S_i = P_i AND C_{i-1}$

Technology Schematic:

Block: If32bit Type: If32bit:



	1132	201
RTL	-Internal:	_
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Output-Waveform:

Name	Value	0 ns		20 ns		40 ns		60 ns			80 ns			100 ns	s 		120 ns		140 ns	1	160 r	ns		180 ns
▶ <table-of-contents> s[31:0]</table-of-contents>	210	0		38	58	80	95		99	X	152	X	165		210		270	310	345	365		411	X	450
) 😽 s0[32:0]	210	0		8	58	80	95		99	X	152	X	165	X	210		270	310	345	365		411	X	450
lle cry	0																							
) 🔰 a[31:0]	100	0		8	28	44	45		38	X	72	X	85		100		130	150	170	185		200	X	220
) 🔰 b[31:0]	110	0		20	30	36	50		61	X		80			110		140	160	175	180		211	X	230
Comparison Table:																								
TYPE OF ADDER No. Of 1)f L	UT	"S			DELAY							POWER							
16-bit Ladner Adder					38							16.353 ns							2.88 Watts					

85

5. CONCLUSION

32-bit Ladner Adder

In this paper, a new approach to design an efficient Ladner-Fischer adder concentrates on gate levels to improve the speed and decreases the memory. It is like tree structure and cells in the carry generation stage are decreased to speed up the binary addition. The proposed adder

addition operation offers great advantage in reducing delay.

6.46 Watts

7. REFERENCES

25.998 ns

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